**35. Correct. The answer is false.** Notice in the above diagram that we are in the peak switching case and so should not charge ck+co in peak period and co in the offpeak period. We can check that this is peak switching case from the equations as well. First invert peak and off-peak demand to get:

Set  $Ppk = ck+co \text{ or } 16 - 2Qpk = 6 +1 \rightarrow 2Qpk = 16-7 \rightarrow Qpk = 4.5$ 

Set Popk = co $\rightarrow$ 10 - (5/3)Qopk=1 $\rightarrow$  (5/3)Qopk=10-1 $\rightarrow$  Qopk = 5.4

In the peak shifting case, we are able to lower price for peakers and raise price to offpeakers to get capital used continuously in each period. To figure out the optimal level of capital stock, we need to look at the marginal benefits and marginal costs of running each unit of capital. Take the first unit of capital. From the inverse demand curve, we can see that

the peak market would be willing to pay: Ppk = 16 - 2Qpk = 16 - 2\*1 = 14

the off-peak market would be willing to pay: Popk = 10 - (5/3)Qopk = 10 - (5/3)\*1 = 8 1/3

Thus benefits for running this unit in peak and off -peak are  $14 + 8 \frac{1}{3} = 22 \frac{1}{3}$ 

Similarly for the second unit of capital:

the peak market would be willing to pay: Ppk = 16 - 2Qpk = 16 - 2\*2 = 12

the off-peak market would be willing to pay: Popk =  $10 - (5/3)Qopk = 10 - (5/3)^2 = 62/3$  and

benefits peak and off peak are 12 + 62/3 = 182/3

For the continuous case, we can get the whole marginal benefit function by horizontally summing both peak and off-peak until off-peak demand becomes zero at Q = 6. Thus for any given level of Q between 0 and 6 with Qpk = Qopk, add the price the two market or the vertical sum is

Ppk = 16 - 2Qpk +Popk = 10 - (5/3)Qopk Ppk + Popk = 26 - 11/3Q

Thus, the marginal benefit curve is 26 - (11/3)Q from 0 < Q < 6. Thereafter, the marginal benefit curve becomes the curve from the peak market. We can see this in the figure

below. To choose optimal Q\* we also need the marginal cost of purchasing and running each unit of capital in both the peak and off-peak period. In this simple model, the cost of purchase is ck, the cost of running during peak is co and the cost of running during off-peak is also co so total marginal cost is ck + 2op.

Find the Q\* where marginal benefit equals marginal cost:

$$26 - (11/3)Q^* = 6 + 2(1) \rightarrow (11/3)Q^* = 18 \rightarrow Q^* = 4.909$$

To calculate the price to charge in each market to make quantity = 4.909, go back to inverse demands to find the solution as follows:

$$Ppk = 16 - 2Qpk = 16 - 2*4.909 = 6.182$$



$$Popk = 10 - (5/3)Qopk = 10 - (5/3)4.909 = 1.818$$